

## ERRATUM TO "CHARACTERIZATIONS OF NORMAL QUINTIC $K$ -3 SURFACES"

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T. Urabe [1] kindly pointed out that the proof of Lemma 2.1 of [2] does not work. In fact, the statement of the lemma is false. There exist normal quintic surfaces with two triple points and one elliptic double point. For example, let  $S_0$  be a quintic surface defined by the equation

$$(y-1)(y-x^2)(y^2-2y+x^2) + (y-x^2)z^2 + \lambda yx^3 + \mu z^4 + \nu z^5 = 0,$$

where  $x, y, z$  are (affine) coordinates and  $\lambda, \mu$  and  $\nu$  are generic complex constants. It contains one elliptic double point  $(0, 0, 0)$  and two triple points  $(1, 1, 0)$  and  $(-1, 1, 0)$ . It can be checked that the minimal resolution  $S$  of  $S_0$  contains three  $(-1)$ -curves and the minimal model of  $S$  is a  $K3$  surface.

Therefore Lemma 2.1 and Theorem 1 should be deleted from [2].

### REFERENCES

1. T. Urabe, Private correspondence, 1991.
2. J.-G. Yang, *Characterizations of normal quintic  $K$ -3 surfaces*, Trans. Amer. Math. Soc. **313** (1989), 737-749.

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